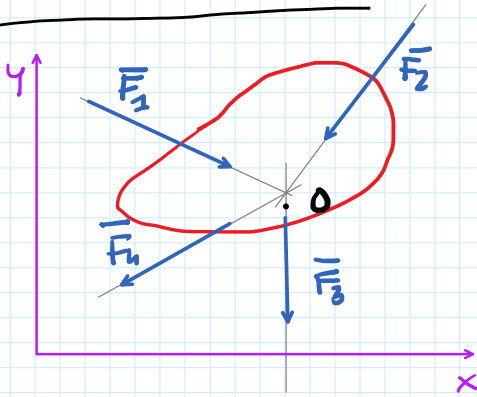


ZBIEZNY UKŁAD SIŁ

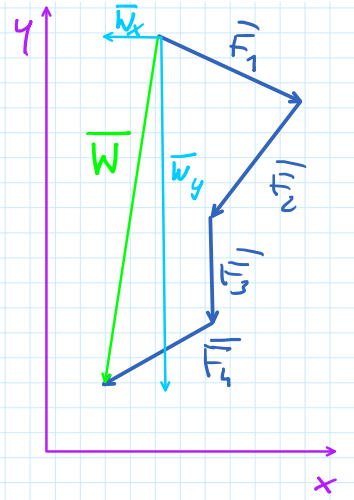


- PŁASKI
- PRZESTRZENNY

$$\vec{W} = \sum_{i=1}^n \vec{F}_i = \vec{F}_1 + \vec{F}_2 + \dots + \vec{F}_n$$

$$\vec{W} = W_x + W_y$$

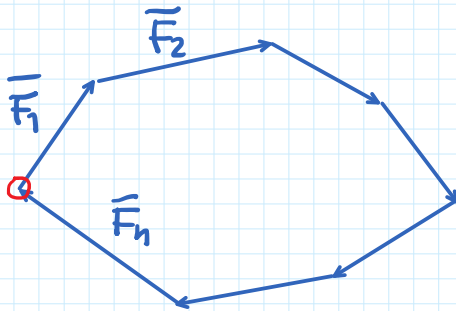
$$\begin{cases} |\vec{W}_x| = W_x = \sum_{i=1}^n F_{ix} \\ |\vec{W}_y| = W_y = \sum_{i=1}^n F_{iy} \end{cases}$$



RÓWNOWAŻA PŁASKIEGO ZBIEZNEGO UKŁADU

$$\sum_{i=1}^n \vec{F}_i = 0$$

$$\vec{F}_1 + \vec{F}_2 + \vec{F}_3 + \dots + \vec{F}_n = 0$$

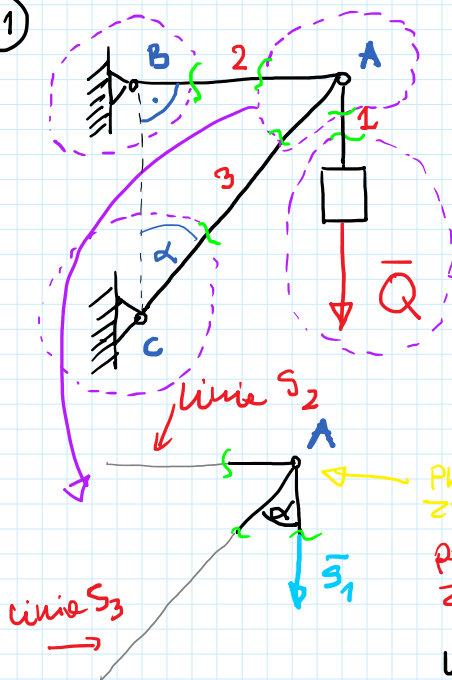


WIELOBOK
ZAMKNIĘTY

- ANALITYCZNA
- GEOMETRYCZNA

$$\begin{cases} \sum F_{ix} = 0 \\ \sum F_{iy} = 0 \end{cases} \Rightarrow \begin{cases} F_{1x} + F_{2x} + \dots + F_{nx} = 0 \\ F_{1y} + F_{2y} + \dots + F_{ny} = 0 \end{cases}$$

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DANE:
 $\alpha, Q, \text{GEOMETRIA}$
UKŁAD W RÓWNOWAŻE
POD WPŁYWEM SIŁ
ZEWNETRZNYCH

SZUKANE:
 $\vec{S}_1, \vec{S}_2, \vec{S}_3, \vec{R}_B, \vec{R}_C$

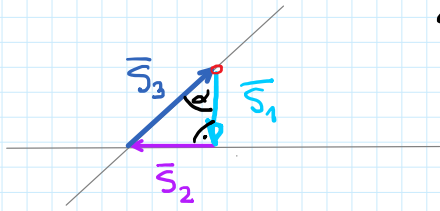
$$\begin{cases} \vec{S}_1 - \vec{Q} = 0 \\ \vec{S}_1 = \vec{Q} \end{cases}$$



PUNKT
ZBIEZNOWOŚCI
PŁASKI
ZBIEZNY UKŁAD SIŁ

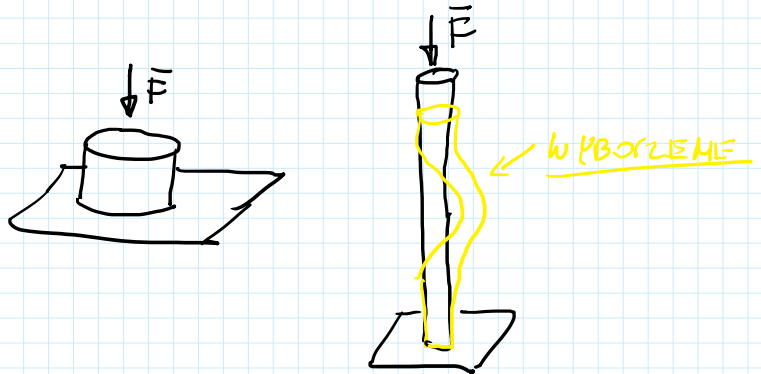
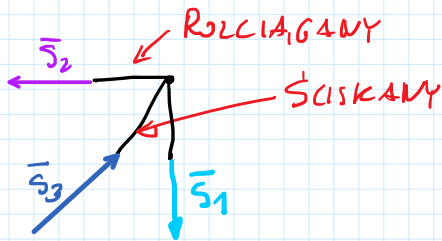
W PUNKCIE RÓWNOWAŻA $\Rightarrow \sum \vec{F}_i = 0 \Rightarrow \vec{S}_1 + \vec{S}_2 + \vec{S}_3 = 0$

I) 1. GEOMETRYCZNA



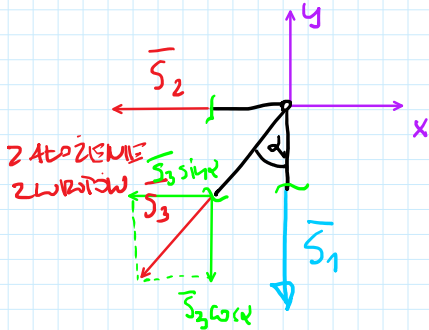
$$S_3 \cos \alpha = S_1 \Rightarrow S_3 = \frac{S_1}{\cos \alpha}$$

$$S_3 \sin \alpha = S_2 \Rightarrow S_2 = \frac{S_1}{\cos \alpha} \cdot \sin \alpha$$



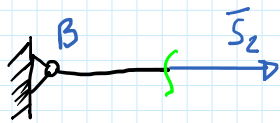
II) 2. ANALITYCZNA

$$\vec{S}_1 + \vec{S}_2 + \vec{S}_3 = 0 \Rightarrow \begin{cases} S_{1x} + S_{2x} + S_{3x} = 0 \\ S_{1y} + S_{2y} + S_{3y} = 0 \end{cases} = \begin{cases} 0 - S_2 - S_3 \sin \alpha = 0 \\ -S_1 + 0 - S_3 \cos \alpha = 0 \end{cases}$$

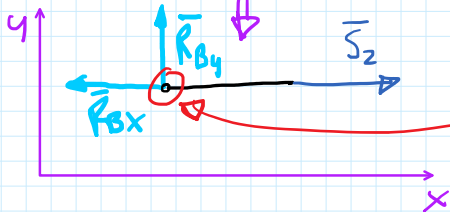


$$\begin{cases} S_2 = -S_3 \sin \alpha \\ S_3 = -\frac{S_1}{\cos \alpha} \end{cases} \Rightarrow \begin{cases} S_2 = -\left(-\frac{S_1}{\cos \alpha}\right) \cdot \sin \alpha = \frac{S_1}{\cos \alpha} \cdot \sin \alpha \\ S_3 = -\frac{S_1}{\cos \alpha} \end{cases}$$

↑
 ZWRÓT S₂
 Z GÓRNY
 ↑
 ZWRÓT S₃
 PRZECIWNY



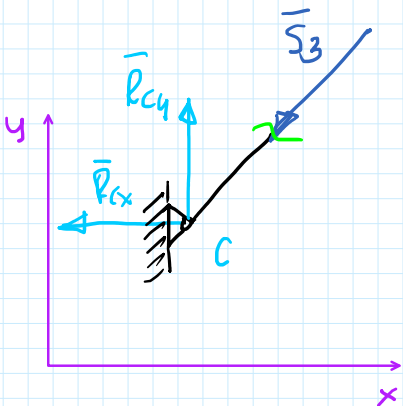
$$\vec{R}_B = \vec{R}_{Bx} + \vec{R}_{By}$$



WARUNEK RÓWNOWAŻY
 $\sum \vec{F}_i = 0 \Rightarrow \vec{R}_{Bx} + \vec{R}_{By} + \vec{S}_2 = 0$

$$R_{By} = 0 \quad -R_{Bx} + S_2 = 0$$

$$\underline{R_{Bx} = R_B = S_2}$$



WARUNEK RÓWNOWAŻY:

$$\vec{S}_3 + \vec{R}_{Cx} + \vec{R}_{Cy} = 0$$

$$\vec{R}_C = \vec{R}_{Cx} + \vec{R}_{Cy}$$